

Reconfigurable Intelligent Surface Aided Wireless Sensing for Scene Depth Estimation



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IEEE International Conference on Communications (ICC), 2023

Challenges with scene depth estimation

Depth estimation



- ▶ Measure the **distance** between
 - The surface of the object
 - The sensor
- ▶ Enable some **emerging applications**
 - Augmented and virtual reality
 - Autonomous vehicles

Optical sensing

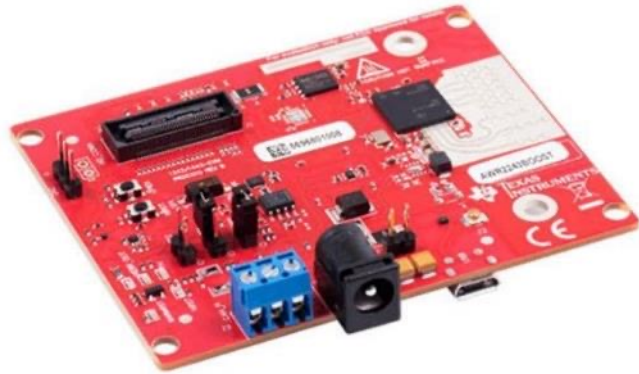


- ▶ **Good depth accuracy**
- ▶ Depth accuracy **degrades**
 - **Unfavorable light** conditions
 - **Shiny, dark, or transparent** targets
 - **Around-the-corner** targets
- ▶ Key **privacy** concerns
- ▶ **Depth estimation ambiguity** for distant targets

These motivates research for other technologies to accurately sense the environment

Wireless sensing for scene depth estimation

Wireless sensing



- ▶ Different propagation properties (mmWave)
 - Unaffected by light sources
 - Shiny, dark, or transparent targets
 - Around-the-corner targets
- ▶ Fewer privacy concerns
- ▶ Detect more distant targets
- ▶ mmWave MIMO based wireless sensing [Taha'21]

Optical sensing

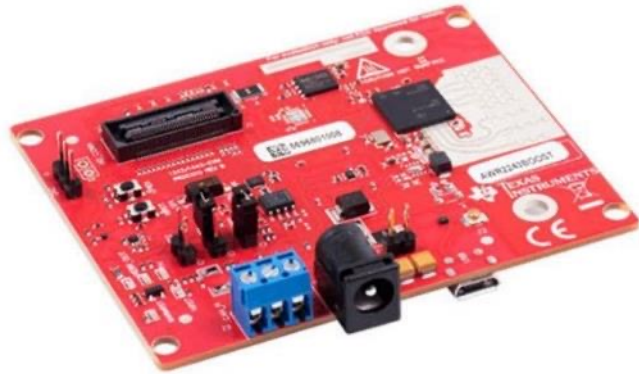


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Scaling mmWave MIMO antenna array requires large hardware complexity

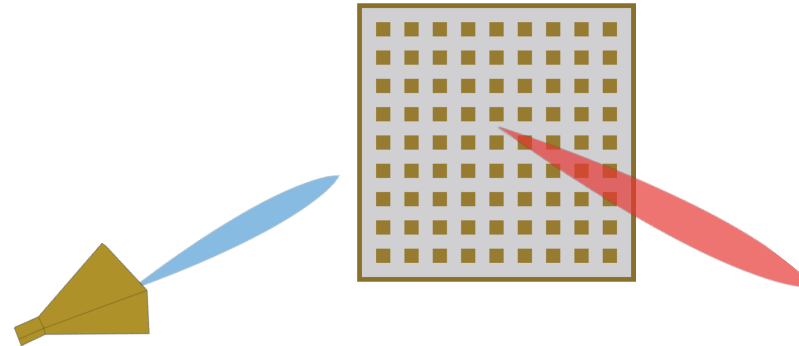
Reconfigurable intelligent surface aided wireless sensing

Wireless sensing



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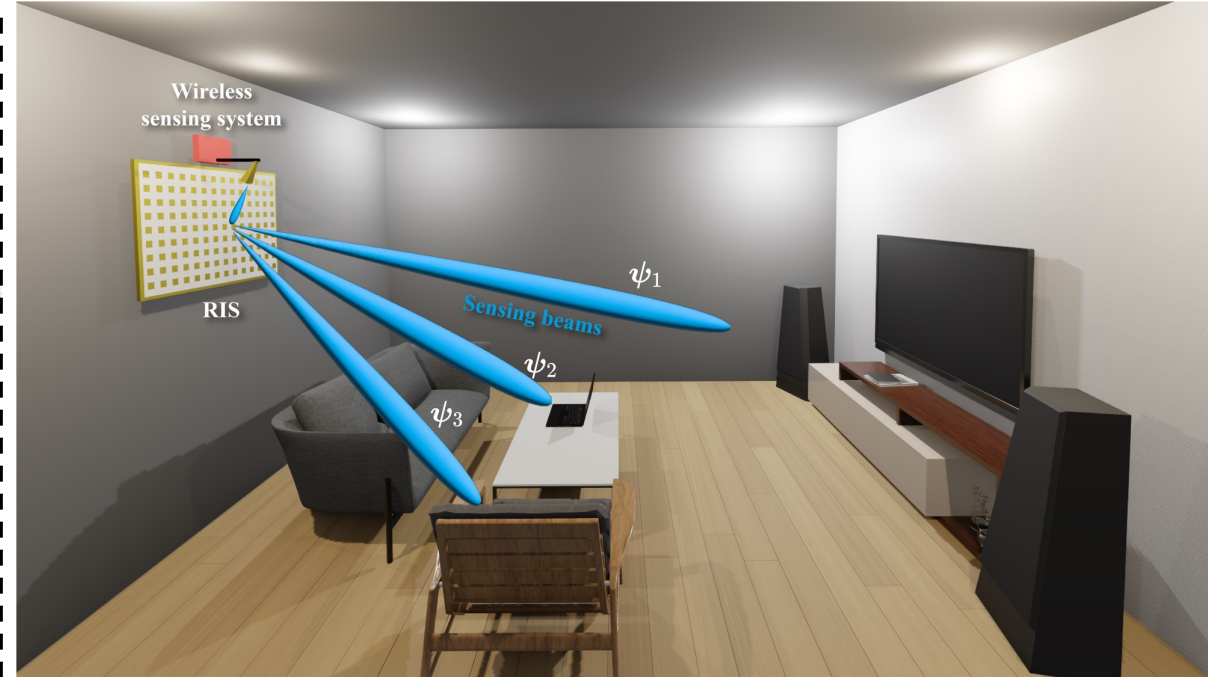
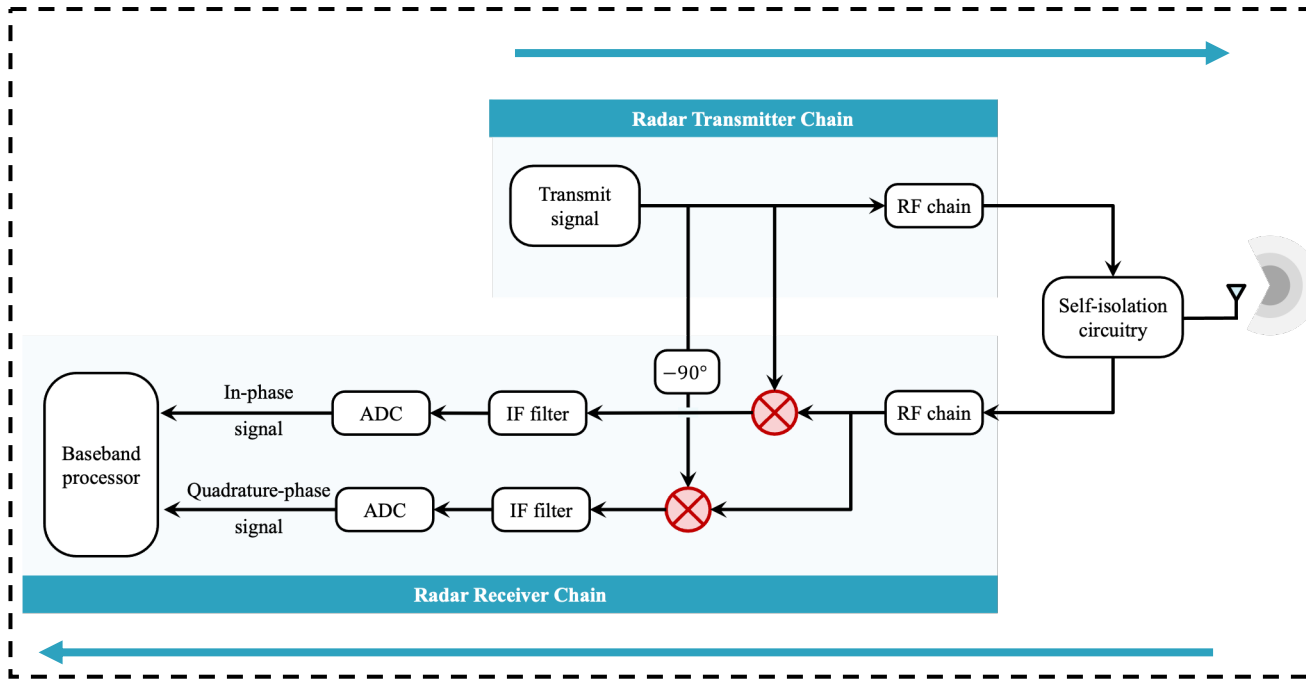
Reconfigurable intelligent surface



- ▶ Control propagation of radio waves → extend coverage
- ▶ Nearly-passive elements → energy-efficient architecture
- ▶ Massive number of elements → fine-grained beams

RIS can provide a high spatial resolution for scene depth estimation!

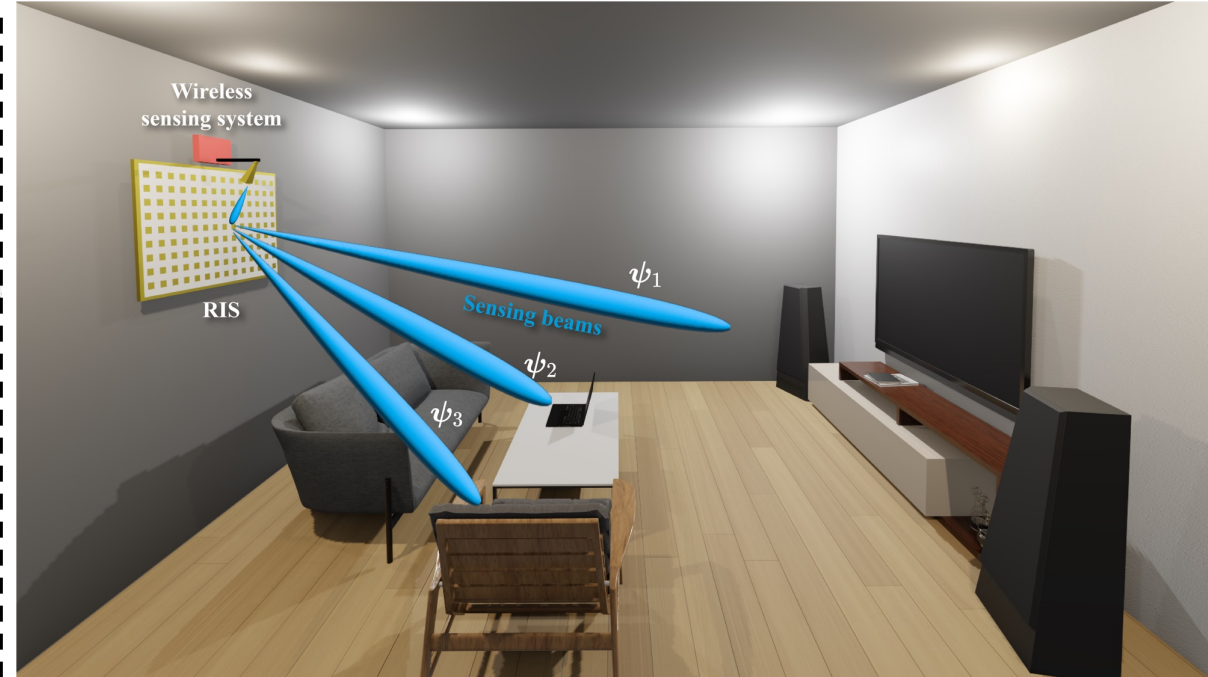
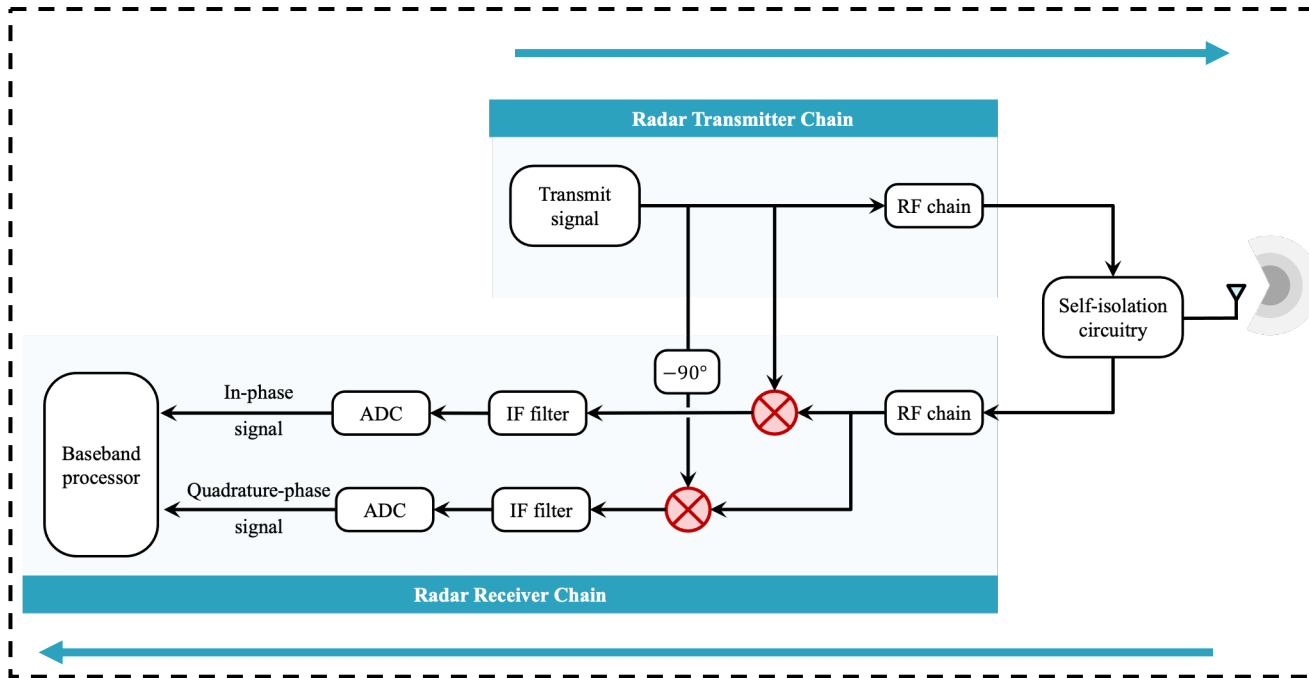
System model



Adopted wireless sensing system

- ▶ **Wideband FMCW radar transceiver** with a complex-baseband architecture
- ▶ **Tx and Rx:** connected through a self-isolation circuitry to a shared single antenna
- ▶ **Transmit signal:** radar frame of M_{chirp} repeated chirp signals
- ▶ **Channel model:** wideband geometric channel model

System model (cont.)



Proposed RIS-aided wireless sensing process for scene depth estimation

- Sensing signals are **transmitted** to the RIS through a feeding antenna
- RIS **reflects** incident signals to the environment
- Backscattered/reflected signals **are reflected by the RIS back to** the sensing system
- Receive signals **are processed for scene depth estimation**

Transmit signal model

Transmit signal (one chirp)

$$a_{BP}(t) = \begin{cases} \cos(2\pi f_0 t + \pi S t^2) & 0 \leq t \leq T_{\text{active}}, \\ 0 & \text{otherwise.} \end{cases}$$

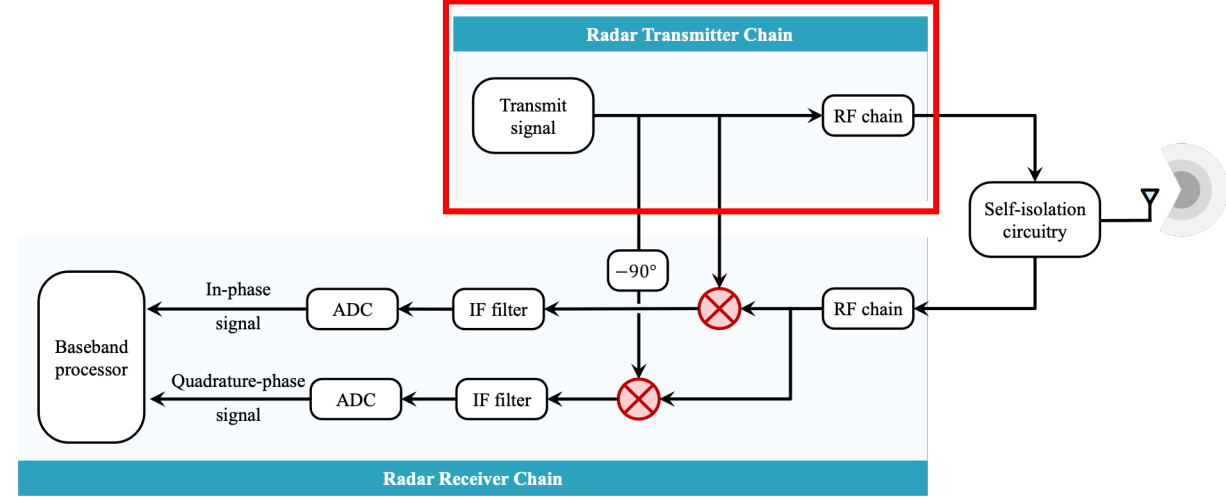
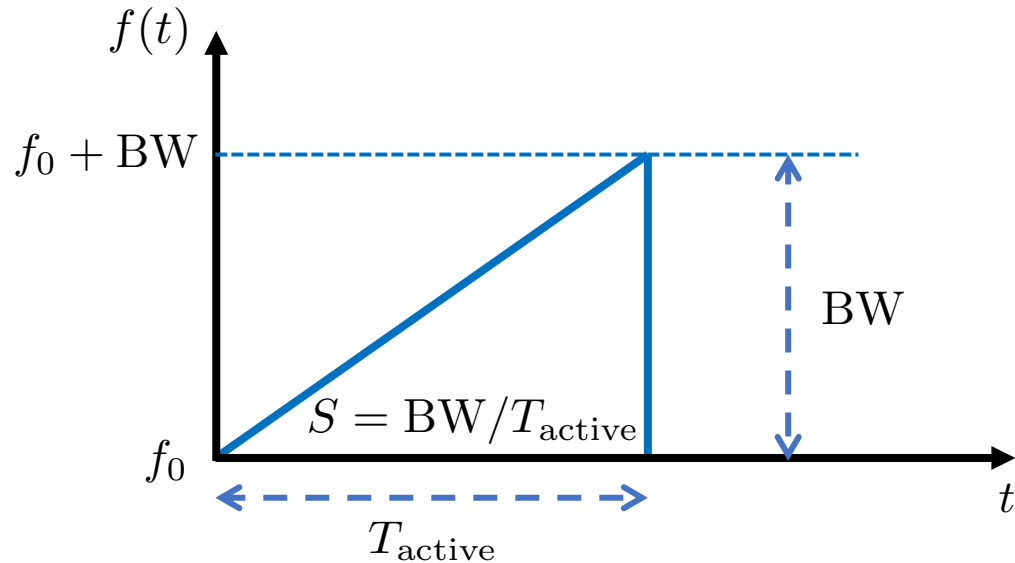
Starting frequency

Chirp slope

Active chirp time interval

$$BW = ST_{\text{active}}$$

Transmission bandwidth



Transmit signal model

Transmit signal (one chirp)

$$a_{\text{BP}}(t) = \begin{cases} \cos(2\pi f_0 t + \pi S t^2) & 0 \leq t \leq T_{\text{active}}, \\ 0 & \text{otherwise.} \end{cases}$$

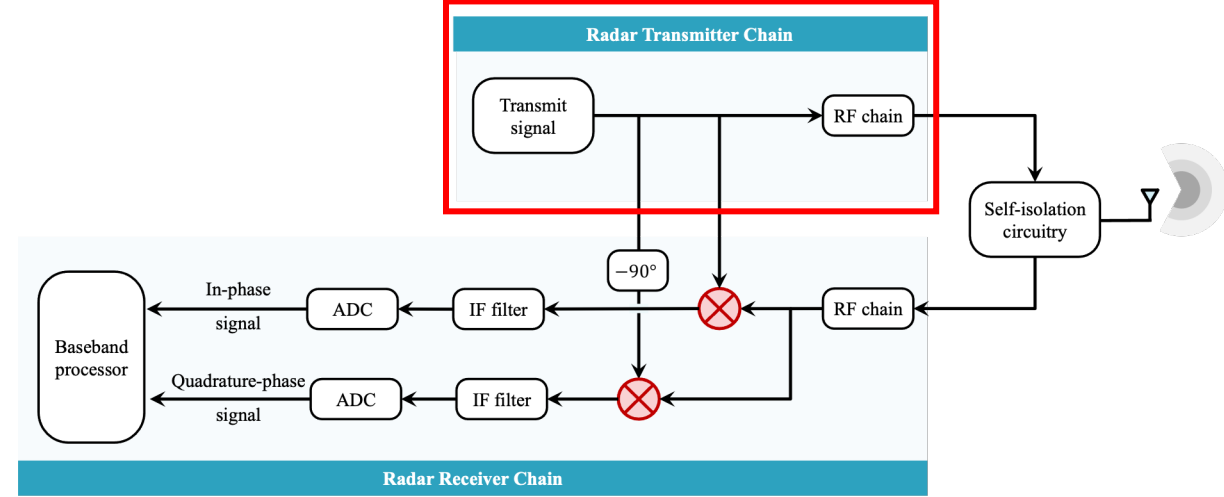
Starting frequency

Chirp slope

Active chirp time interval

$$\text{BW} = S T_{\text{active}}$$

Transmission bandwidth



Transmit signal (one radar frame)

$$x_{\text{BP}}(t) = \sqrt{\mathcal{E}_T} \sum_{c=0}^{M_{\text{chirp}}-1} a_{\text{BP}}(t - c T_{\text{PRI}})$$

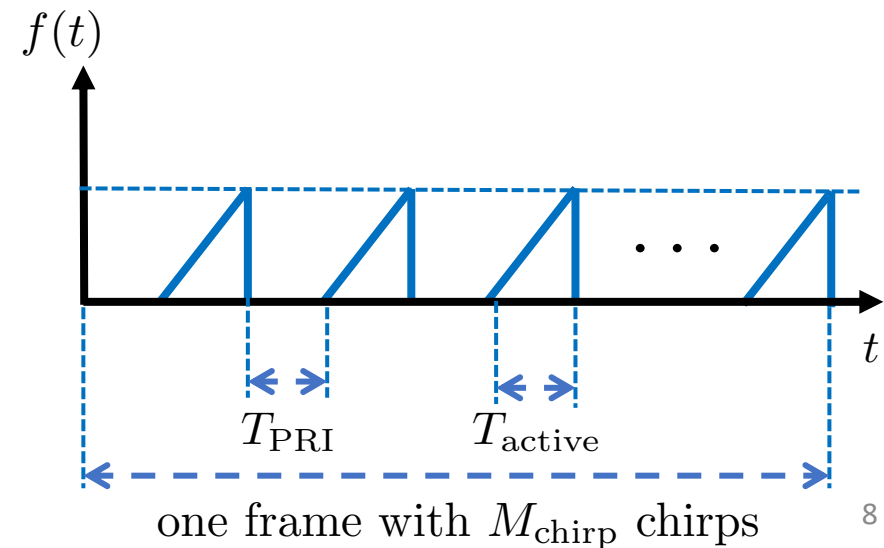
$$= \text{Re}(x(t) e^{j2\pi f_0 t}), t \in \mathbb{R}_{\geq 0}$$

Transmission power

Complex-valued lowpass-equivalent transmit signal

No. of chirps per frame

Chirp repetition interval



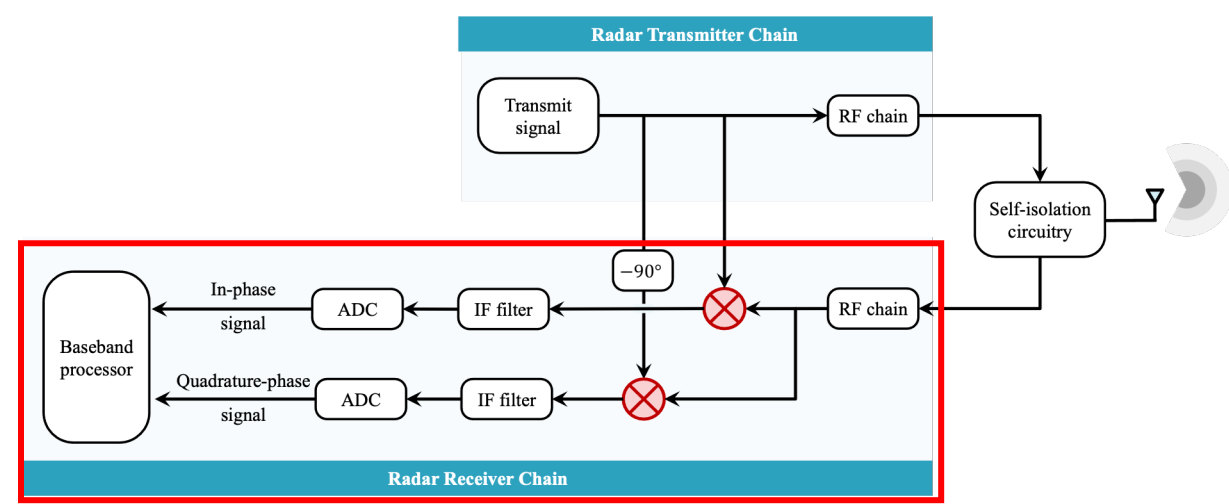
Receive signal model

Receive signal (one radar frame)

$$y_{BP}(t) = \text{Re}(y(t)e^{j2\pi f_0 t})$$

Real-valued bandpass receive signal

Complex-valued lowpass-equivalent receive signal



Receive signal model

Receive signal (one radar frame)

$$y_{BP}(t) = \text{Re}(y(t)e^{j2\pi f_0 t})$$

No. targets

No. paths per target

$$y(t) = x(t) * h(t) + w(t) = \sum_{g=1}^{G_{tar}} \sum_{l=1}^{L_g} h_{g,l}(t) x(t - \xi_{g,l}) + w(t)$$

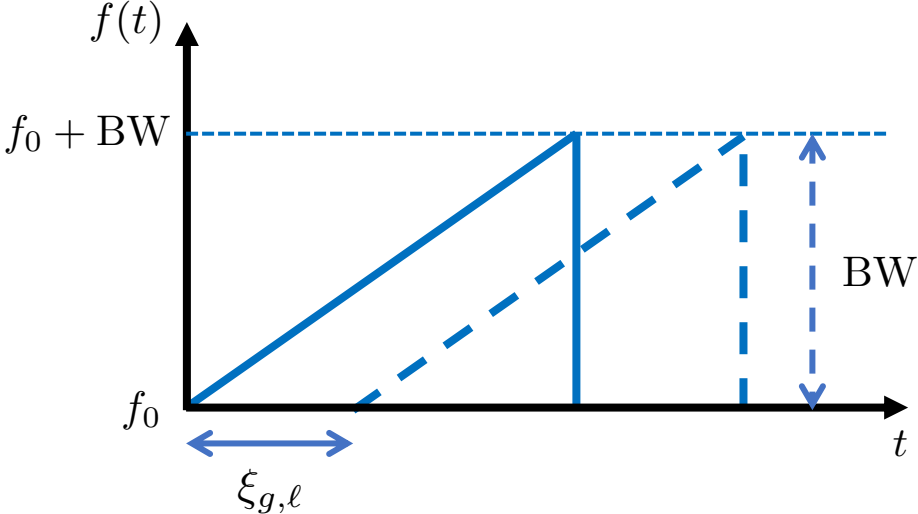
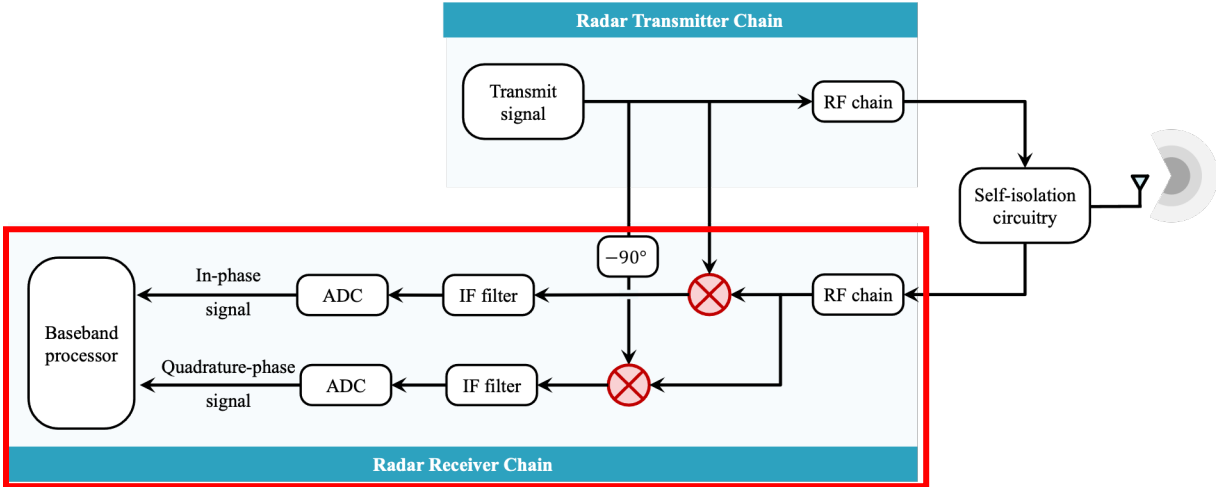
Lowpass-equivalent channel

Additive noise

Complex-valued channel path gain

$$\xi_{g,l} = R_{g,l}/c$$

Propagation delay



Receive signal model

Receive signal (one radar frame)

$$y_{BP}(t) = \text{Re}(y(t)e^{j2\pi f_0 t})$$

$$y(t) = x(t) * h(t) + w(t) = \sum_{g=1}^{G_{\text{tar}}} \sum_{l=1}^{L_g} h_{g,l}(t)x(t - \xi_{g,l}) + w(t)$$

Receive baseband IF digital signal

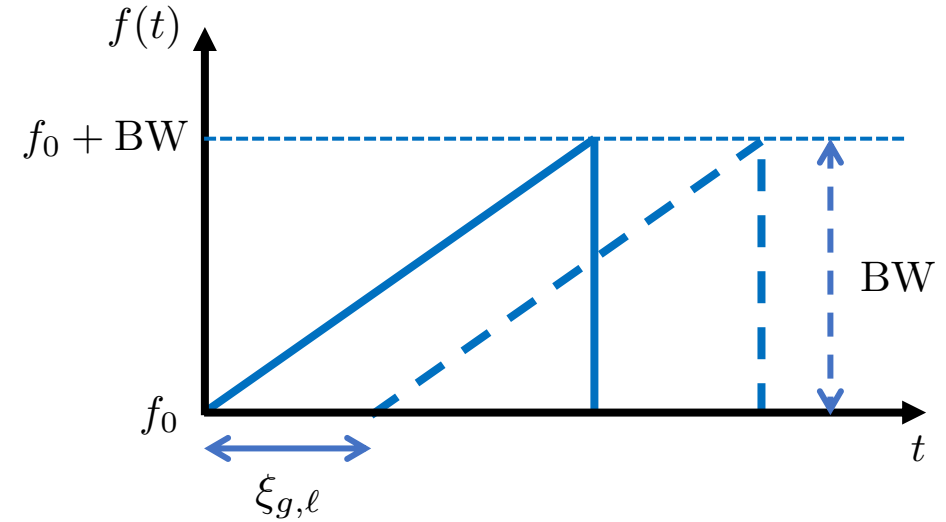
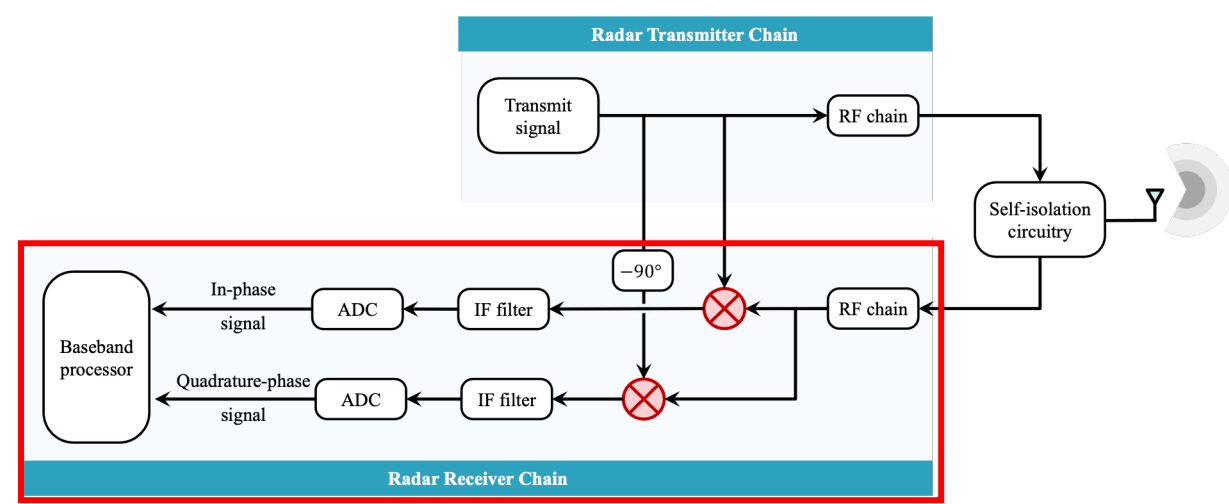
After passing through the mixers, the filters and the ADCs

$$z[s, c] = I[s, c] + jQ[s, c]$$

Sample index s
Chirp index c

In-phase signal

Quadrature signal



Receive signal model

Receive signal (one radar frame)

$$y_{BP}(t) = \text{Re}(y(t)e^{j2\pi f_0 t})$$

$$y(t) = x(t) * h(t) + w(t) = \sum_{g=1}^{G_{\text{tar}}} \sum_{l=1}^{L_g} h_{g,l}(t) x(t - \xi_{g,l}) + w(t)$$

Receive baseband IF digital signal

After passing through the mixers, the filters and the ADCs

$$z[s, c] = I[s, c] + jQ[s, c]$$

$$z[s, c] = \sum_{g=1}^{G_{\text{tar}}} \sum_{l=1}^L \sqrt{\rho_{g,l}} e^{-j\vartheta_{g,l}} e^{+j\Xi_{g,l}} + w[s, c] e^{j\chi[s]}$$

receive power of a single path

$$\rho_{g,l} = \mathcal{E}_T |h_{g,l}|^2$$

receive phase of a single path

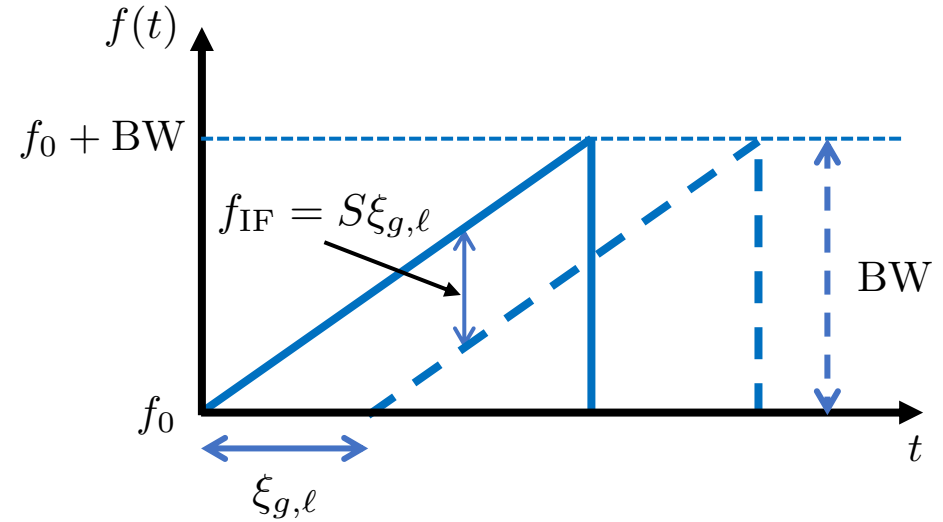
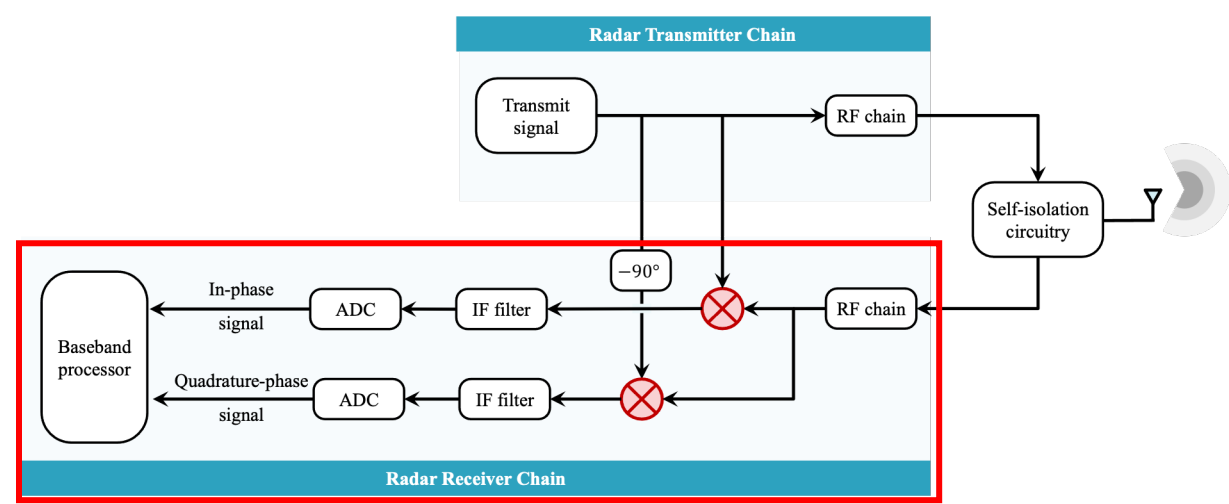
$$\vartheta_{g,l} = \arg(h_{g,l})$$

Phase term contains range information

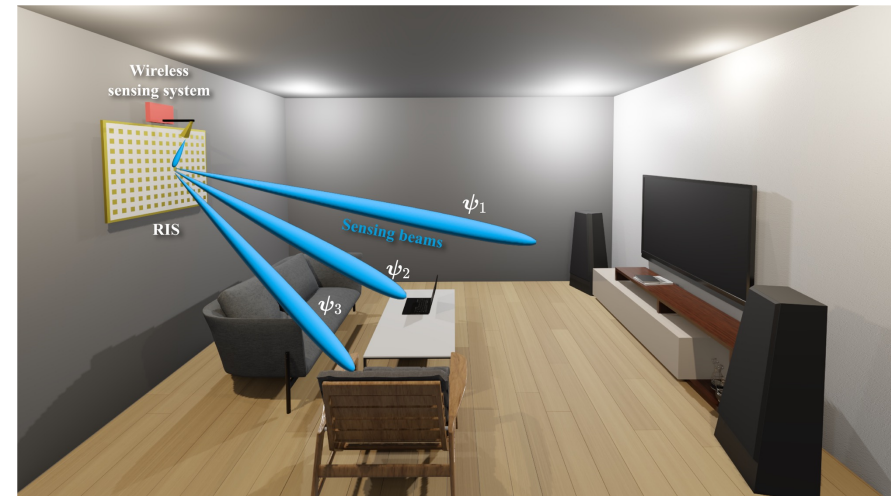
$$\Xi_{g,l} = 2\pi \left(f_0 \xi_{g,l} + \underline{St_{\text{fast}} \xi_{g,l}} - \frac{S}{2} \xi_{g,l}^2 \right)$$

Propagation delay

$$\xi_{g,l} = R_{g,l} / \varsigma$$



Channel model



$$h_{g,l}(t) = \underbrace{(\mathbf{g}^T \Psi \mathbf{v}(\bar{\theta}_{g,l}(t)) \bar{\gamma}_{g,l}(t))}_{\text{Radar} \rightarrow \text{RIS} \rightarrow \text{Target}} \times \underbrace{(\mathbf{g}^T \Psi \mathbf{v}(\ddot{\theta}_{g,l}(t)) \ddot{\gamma}_{g,l}(t))}_{\text{Target} \rightarrow \text{RIS} \rightarrow \text{Radar}}$$

RIS interaction matrix

Forward channel path gain

Backward channel path gain

Channel bet.
RIS and radar
antenna

Far-field array
response vector
bet. RIS and target

Assumptions

- ▶ RIS is equipped with N reconfigurable elements (phase shifters) → Not mutually correlated
- ▶ Channel between the RIS and the radar transceiver → Near-field channel
- ▶ Channel between the RIS and the targets → Far-field channel
- ▶ Channel between the radar transceiver and the targets → Neglected (directional rad. pattern of the feeding ant.)
- ▶ Reciprocal RIS interaction (incident signal directions ↔ reflected signal directions)

Problem definition: How to construct depth maps?

I. Scanning the environment using RIS interaction vectors

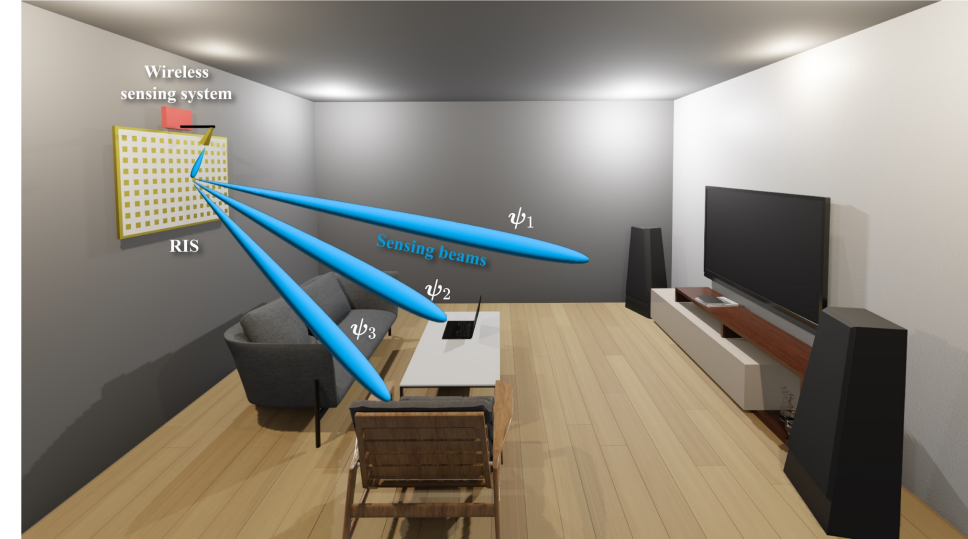
- ▶ Beam codebook \mathcal{F} : M RIS interaction vectors for M directions

$$\mathcal{F} = \{\psi_m : m \in \mathcal{M}, \mathcal{M} = \{0, \dots, M - 1\}\}$$

- ▶ For each interaction vector, the channel and IF signal models:

$$\mathbf{h}_{g,\ell}[m] = \bar{\gamma}_{g,\ell} \left((\mathbf{g} \odot \psi_m)^T \mathbf{v}(\bar{\theta}_{g,\ell}) \right) \times \ddot{\gamma}_{g,\ell} \left((\mathbf{g} \odot \psi_m)^T \mathbf{v}(\ddot{\theta}_{g,\ell}) \right)$$

$$z[s, m] = \underbrace{\sum_{g=1}^{G_{\text{tar}}} \sum_{\ell=1}^L \sqrt{\rho_{g,\ell}[m]} \mathbf{e}^{-j\vartheta_{g,\ell}[m]} \mathbf{e}^{+j\Xi_{g,\ell}}}_{\text{Receive signal}} + \underbrace{w[s, m] \mathbf{e}^{j\chi[s]}}_{\text{Noise}}$$



- ▶ Received sensing signal matrix

$$\mathbf{z}[m] = [z[0, m], \dots, z[M_{\text{sample}} - 1, m]]^T$$

$$\mathbf{Z} = [\mathbf{z}[0], \mathbf{z}[1], \dots, \mathbf{z}[M - 1]]$$

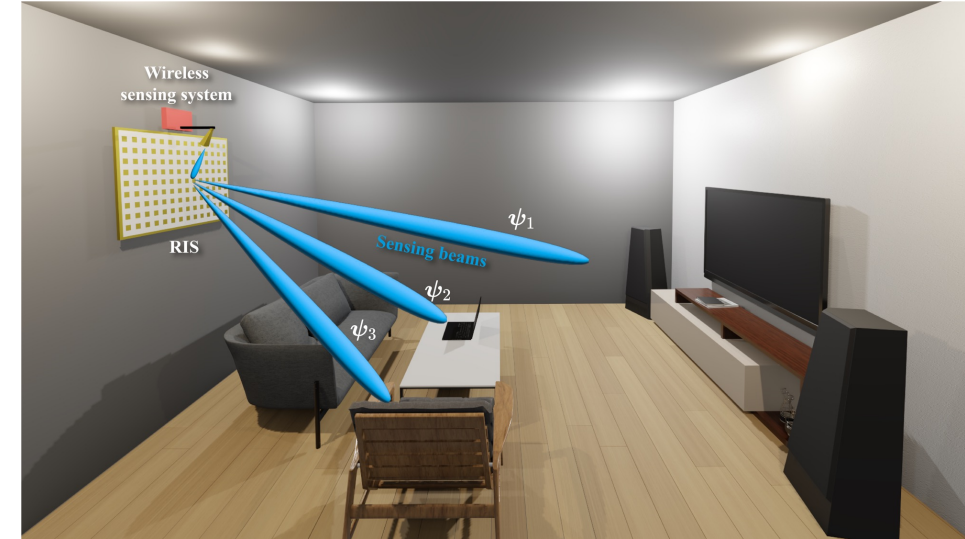
Problem definition: How to construct depth maps?

2. Processing the receive signals to construct depth maps

- ▶ Ground-truth depth map, \mathbf{D}_{map} : 2D image of depth values
- ▶ Depth value in one direction:
Smallest depth bet. RIS reference element and the nearest target
- ▶ Estimated depth map, $\hat{\mathbf{D}}_{\text{map}}$: $\hat{\mathbf{D}}_{\text{map}} = \mathbf{p}(\mathbf{Z}; \mathcal{F})$

▶ Estimation performance metrics

- Root-mean squared error (RMSE) $\Delta_{\text{RMSE}} = \left(\frac{1}{M} \|\mathbf{D}_{\text{map}} - \mathbf{p}(\mathbf{Z}; \mathcal{F})\|_2^2 \right)^{1/2}$
- Mean absolute error (MAE) $\Delta_{\text{MAE}} = \frac{1}{M} \|\mathbf{D}_{\text{map}} - \mathbf{p}(\mathbf{Z}; \mathcal{F})\|_1$

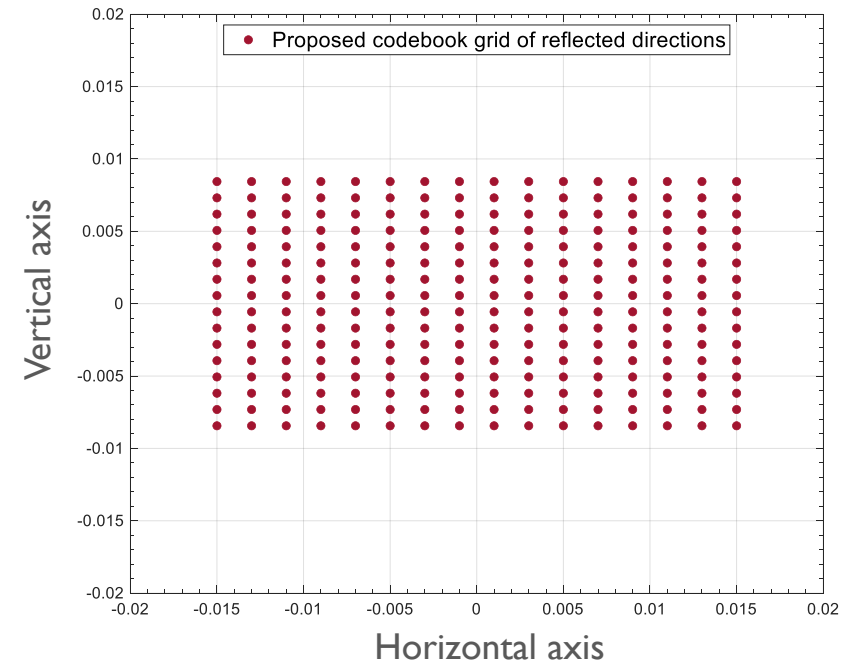
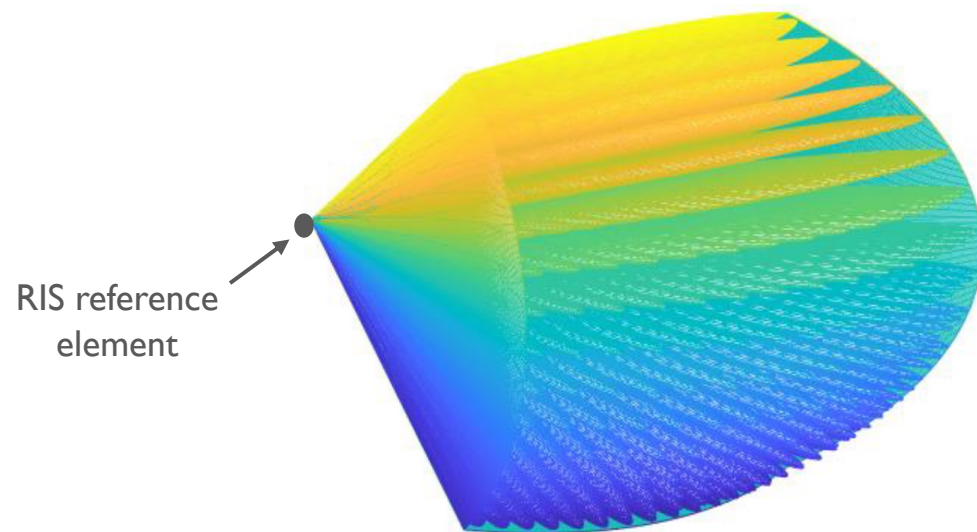


How can we design the **sensing framework** to reduce the est. errors?

Proposed solution: RIS interaction codebook design

► We adopt the design for the set of reflected angle directions, \mathcal{O} [Taha'21]

- **Inputs:** field of view, aspect ratio, horizontal and vertical resolutions
- **Output:** the set of reflected angle directions for a rectangular grid



Proposed solution: RIS interaction codebook design

► We adopt the design for the set of reflected angle directions, \mathcal{O} [Taha'21]

- **Inputs:** field of view, aspect ratio, horizontal and vertical resolutions
- **Output:** the set of reflected angle directions for a rectangular grid

► For $\theta_m \in \mathcal{O}$, the RIS interaction vector can be designed as

$$\begin{aligned} \boldsymbol{\psi}_m^* &= \arg \max_{\boldsymbol{\psi}_m} |\mathbf{h}_{g,\ell}[m]| \\ &\text{s. t. } |[\boldsymbol{\psi}_m]_n| = 1, \forall n \in \{1, \dots, N\} \\ \boldsymbol{\psi}_m^* &= \left(\mathbf{v}(\theta_m) \odot e^{-j2\pi(\delta - \delta_1)/\lambda} \right)^*, m \in \mathcal{M} \end{aligned}$$

Prior knowledge

- **The distance vector δ** bet. Radar antenna and RIS elements
- **The direction** specified by θ_m

► The proposed RIS interaction codebook

$$\mathcal{F} = \{ \boldsymbol{\psi}_m \in \mathbb{C}^{N \times 1} : \boldsymbol{\psi}_m = \left(\mathbf{v}(\theta_m) \odot e^{-j2\pi(\delta - \delta_1)/\lambda} \right)^*, \theta_m \in \mathcal{O} \}$$

Given the designed RIS codebook, we next present the scene depth estimation solution

Proposed solution: RIS-based scene depth estimation

Operation

- ▶ Acquire received sensing matrix
- ▶ Estimate range vector (Fourier transform)
$$\mathbf{Z}^{\text{RP}} = \text{FFT}_m(\mathbf{Z}), m \in \mathcal{M}$$
$$[\hat{\mathbf{r}}]_m = \Delta_{\text{R}} \times \arg \max_s \left| [\mathbf{Z}^{\text{RP}}]_{s,m} \right|, m \in \mathcal{M}$$
- ▶ Construct scene depth map [Taha'21]
- ▶ Apply 2D interpolation to scale the depth maps

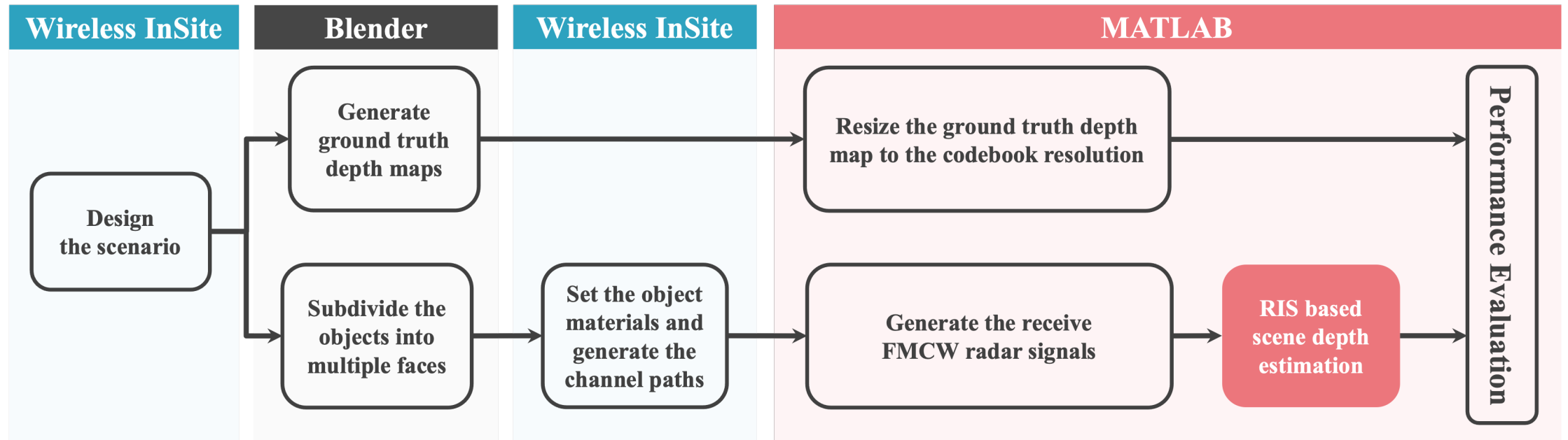
Algorithm 1 RIS-Based Scene Depth Estimation Solution

Inputs: Field of view FoV, aspect ratio A_{R} ,
number of horizontal/vertical grid points $\bar{N}_{\text{H}}, \bar{N}_{\text{V}}$.

Output: Depth map estimate $\hat{\mathbf{D}}_{\text{map}}$.

- 1: Design RIS interaction codebook \mathcal{F} , as in Section IV-B.
 - 2: **for** $m = 1$ **to** M **do** ▷ For each ψ_m
 - 3: Acquire receive *sensing* signal $z[s, m], \forall s \in \mathcal{S}$, (14).
 - 4: Construct receive *sensing* matrix \mathbf{Z} , as in (15).
 - 5: Calculate scene range estimate vector $\hat{\mathbf{r}}$, as in (32).
 - 6: Construct the range map estimate $\hat{\mathbf{R}}_{\text{map}}$, as in (33).
 - 7: Construct the depth map estimate $\hat{\mathbf{D}}_{\text{map}}$, as in [6].
-

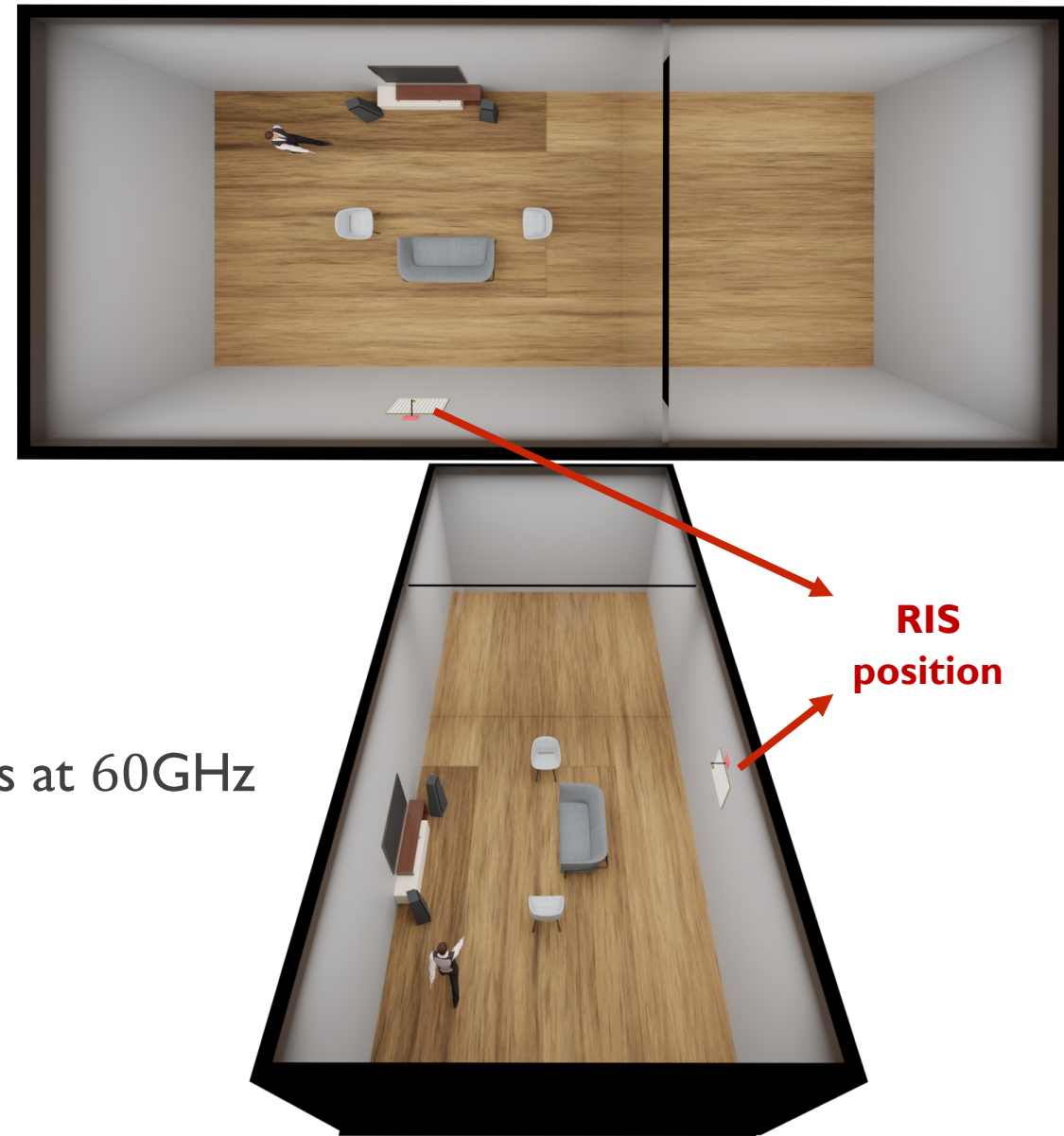
Simulation framework



- ▶ **Wireless InSite:** 0.1° ray spacing. **Enabled interactions:** reflection, diffraction, transmission, diffuse scattering
- ▶ $\{30 \times 30; 40 \times 40\}$ RIS uniform planar arrays (UPAs) at **60GHz** with **4GHz** transmission bandwidth
- ▶ **Codebook:** oversampling factors of 4, size of $\{14,400; 25,600\}$
- ▶ 100° field of view, $4/3$ aspect ratio, **480p** resolution, **32mm** sensor width (ground-truth depth map)
- ▶ Assuming **38Msps** sampling rate, **512** samples per chirp, and **13.47 μ s** chirp repetition interval
- ▶ Estimate depth map sensing rate $\{5.15; 2.90\}$ Hz

Living room scenario

- ▶ $15.6 \times 6.5 \times 3.8\text{m}$ indoor space
 - 1.8m tall person
 - Concrete for the walls
 - Floorboard for the floor
 - Ceiling board for the ceiling
 - Glass material for the wall dividing the space
 - Glass material for the TV
 - Wood for the furniture
- ▶ Follow ITU default parameter values for the materials at 60GHz
- ▶ The RIS is mounted on the wall behind the sofa



We compare the proposed solution against RGB-based solutions for depth estimation

Living room scenario (cont.)

RGB-based solutions

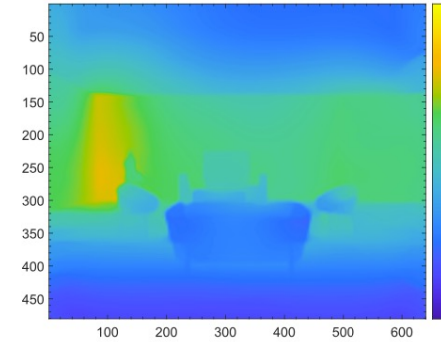
- ▶ Construct the shape of the objects more clearly
- ▶ **Mis-detect** the transparent glass wall
- ▶ **Higher depth errors** compared to ground truth

Proposed RIS-based solutions

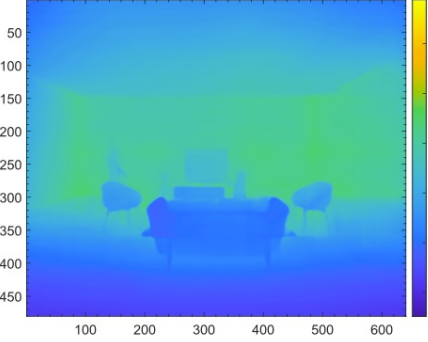
- ▶ Transparent glass wall can be well perceived
- ▶ Lower depth errors compared to ground truth
- ▶ Suffer from some **inter-path interferences**
- ▶ Relatively wide sensing beams (**errors around the edges**)



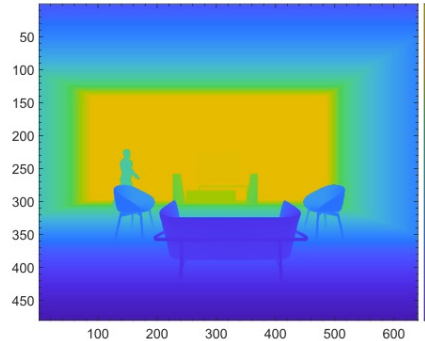
(a) RGB scene image



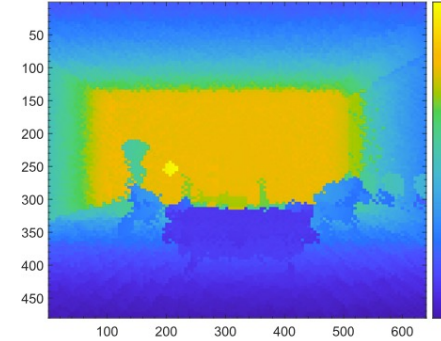
(b) RGB-based depth map [Hu'19]
 $\Delta_{RMSE} = 94.5$ cm
 $\Delta_{MAE} = 82.9$ cm



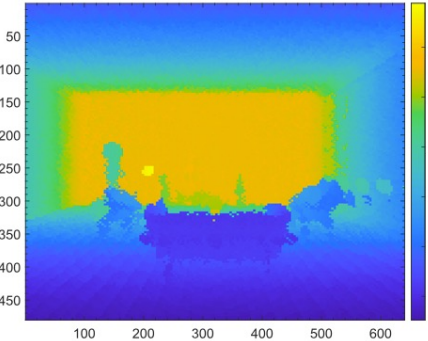
(c) RGB-based depth map [Ranftl'21]
 $\Delta_{RMSE} = 98.3$ cm
 $\Delta_{MAE} = 86.6$ cm



(d) Ground truth depth map



(e) Proposed sol. (30 × 30 RIS)
 $\Delta_{RMSE} = 37.5$ cm
 $\Delta_{MAE} = 14.5$ cm



(f) Proposed sol. (40 × 40 RIS)
 $\Delta_{RMSE} = 31.9$ cm
 $\Delta_{MAE} = 11.6$ cm

The proposed solution can achieve higher depth accuracy

Conclusions and future work

- ▶ Optical sensing for depth perception suffers from critical limitations
 - **Shiny, dark, transparent, or distant** objects/surfaces
 - Key **privacy** concerns
 - **Around-the-corner** objects/surfaces
- ▶ RIS-aided mmWave sensing framework for scene depth estimation
 - Design a **depth map suitable RIS sensing codebook**
 - Develop a **processing solution** to estimate high-resolution depth maps
 - Simulation results highlight the potential of this solution **to achieve accurate depth perception**
- ▶ Future work
 - Improve the **precision** of the proposed solutions
 - Extend to **near-field channels** between RIS and targets
 - Adopt **target mobility**, i.e., depth and Doppler velocity estimation

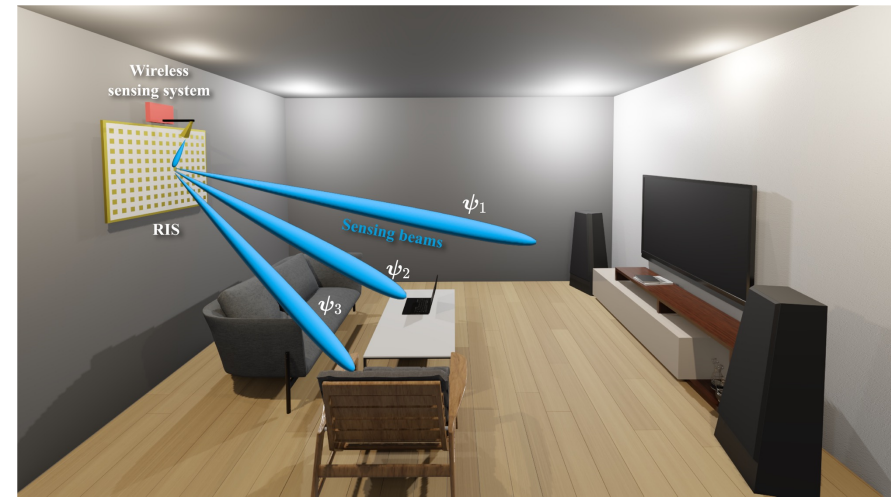
Thank you

Appendix

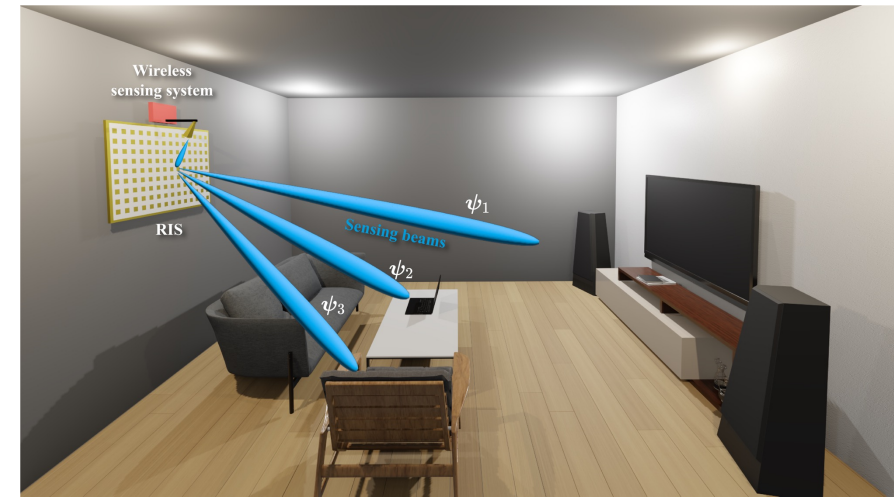
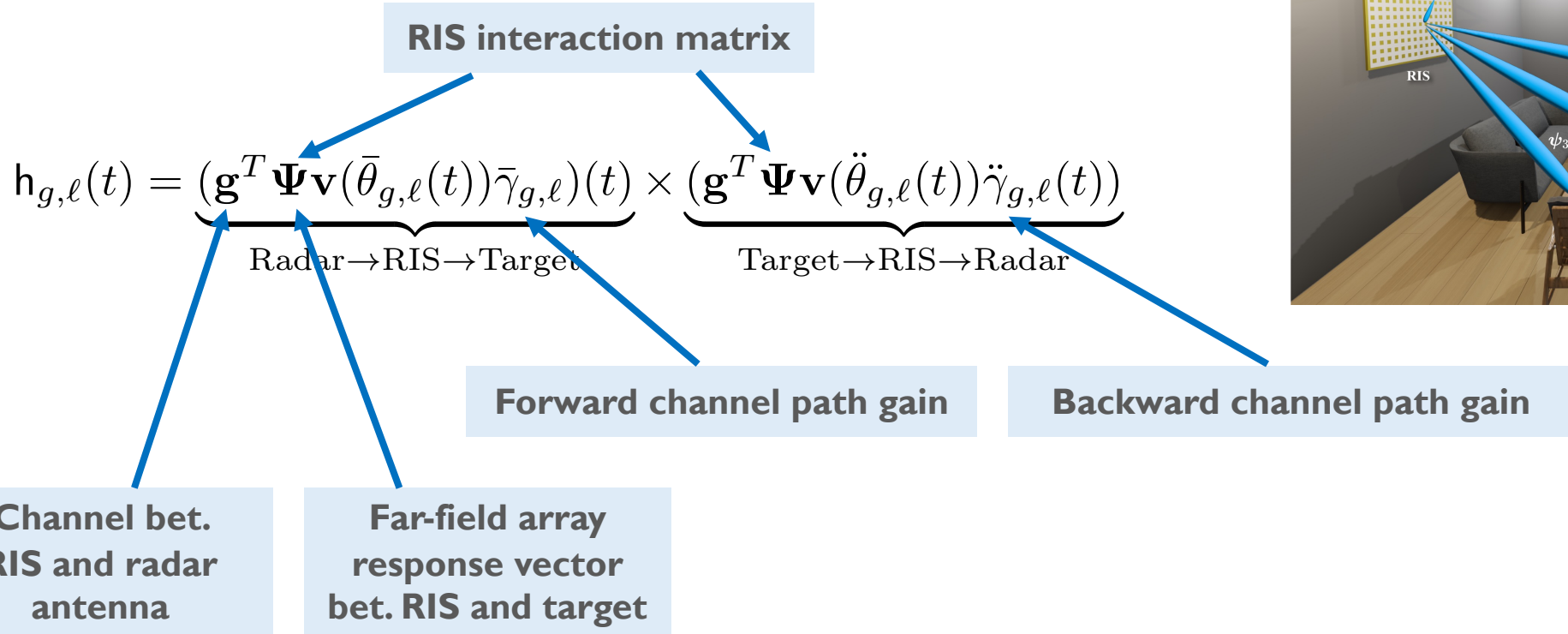
Channel model

$$\mathbf{h}_{g,\ell}(t) = \underbrace{(\mathbf{g}^T \mathbf{\Psi} \mathbf{v}(\bar{\theta}_{g,\ell}(t)) \bar{\gamma}_{g,\ell}(t))}_{\text{Radar} \rightarrow \text{RIS} \rightarrow \text{Target}} \times \underbrace{(\mathbf{g}^T \mathbf{\Psi} \mathbf{v}(\ddot{\theta}_{g,\ell}(t)) \ddot{\gamma}_{g,\ell}(t))}_{\text{Target} \rightarrow \text{RIS} \rightarrow \text{Radar}}$$

Forward to the target **Backward from the target**



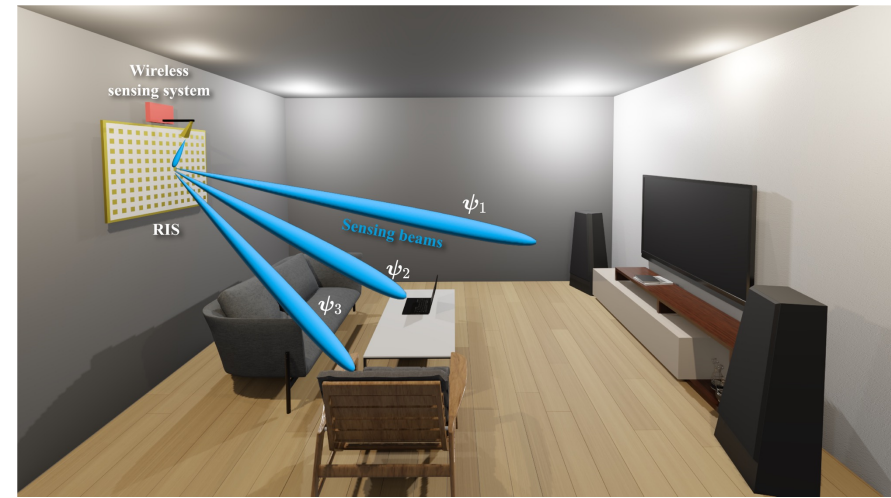
Channel model



Channel model

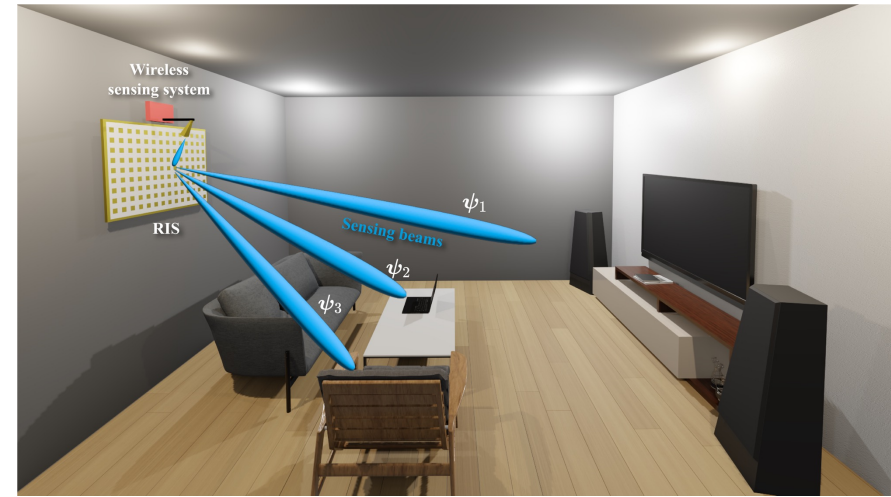
$$\begin{aligned}
 \mathbf{h}_{g,l}(t) &= \underbrace{(\mathbf{g}^T \boldsymbol{\Psi} \mathbf{v}(\bar{\boldsymbol{\theta}}_{g,l}(t)) \bar{\gamma}_{g,l}(t))}_{\text{Radar} \rightarrow \text{RIS} \rightarrow \text{Target}} \times \underbrace{(\mathbf{g}^T \boldsymbol{\Psi} \mathbf{v}(\ddot{\boldsymbol{\theta}}_{g,l}(t)) \ddot{\gamma}_{g,l}(t))}_{\text{Target} \rightarrow \text{RIS} \rightarrow \text{Radar}} \\
 &= \bar{\gamma}_{g,l}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\bar{\boldsymbol{\theta}}_{g,l}(t)) \right) \times \ddot{\gamma}_{g,l}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\ddot{\boldsymbol{\theta}}_{g,l}(t)) \right)
 \end{aligned}$$

RIS interaction vector



Channel model

$$\begin{aligned}
 \mathbf{h}_{g,l}(t) &= \underbrace{(\mathbf{g}^T \boldsymbol{\Psi} \mathbf{v}(\bar{\boldsymbol{\theta}}_{g,l}(t)) \bar{\gamma}_{g,l}(t))}_{\text{Radar} \rightarrow \text{RIS} \rightarrow \text{Target}} \times \underbrace{(\mathbf{g}^T \boldsymbol{\Psi} \mathbf{v}(\ddot{\boldsymbol{\theta}}_{g,l}(t)) \ddot{\gamma}_{g,l}(t))}_{\text{Target} \rightarrow \text{RIS} \rightarrow \text{Radar}} \\
 &= \bar{\gamma}_{g,l}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\bar{\boldsymbol{\theta}}_{g,l}(t)) \right) \times \ddot{\gamma}_{g,l}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\ddot{\boldsymbol{\theta}}_{g,l}(t)) \right)
 \end{aligned}$$



Two-hop forward and backward channel path gains

$$\bar{\gamma}_{g,l}(t) = \sqrt{\frac{\mathcal{G}(\bar{\Omega}_1) \zeta(\bar{\omega}_1, \bar{\boldsymbol{\theta}}_{g,l})}{(4\pi)^2 \delta_1^2 \bar{d}_{g,l}^2(t) \bar{L}_{g,l}(t)}} e^{-j2\pi(\delta_1 + \bar{d}_{g,l})/\lambda}$$

$$\ddot{\gamma}_{g,l}(t) = \sqrt{\frac{\sigma_g \zeta(\ddot{\boldsymbol{\theta}}_{g,l}, \ddot{\omega}_1) \mathcal{G}(\ddot{\Omega}_1) \lambda^2}{(4\pi)^3 \ddot{d}_{g,l}^2(t) \delta_1^2 \ddot{L}_{g,l}(t)}} e^{-j2\pi(\ddot{d}_{g,l} + \delta_1)/\lambda}$$

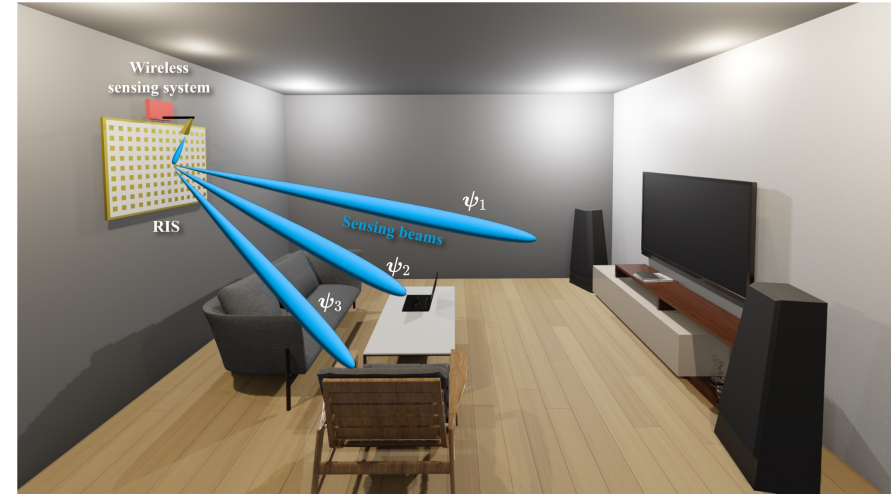
Radar range equation

- Directional gain of feeding antenna
- Directional RIS cross-section gain
- Target cross-section gain

- Distance bet. RIS reference and target
- Distance bet. RIS reference and radar antenna

Channel model

$$\begin{aligned} \mathbf{h}_{g,\ell}(t) &= \underbrace{(\mathbf{g}^T \Psi \mathbf{v}(\bar{\theta}_{g,\ell}(t)) \bar{\gamma}_{g,\ell}(t))}_{\text{Radar} \rightarrow \text{RIS} \rightarrow \text{Target}} \times \underbrace{(\mathbf{g}^T \Psi \mathbf{v}(\ddot{\theta}_{g,\ell}(t)) \ddot{\gamma}_{g,\ell}(t))}_{\text{Target} \rightarrow \text{RIS} \rightarrow \text{Radar}} \\ &= \bar{\gamma}_{g,\ell}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\bar{\theta}_{g,\ell}(t)) \right) \times \ddot{\gamma}_{g,\ell}(t) \left((\mathbf{g} \odot \boldsymbol{\psi})^T \mathbf{v}(\ddot{\theta}_{g,\ell}(t)) \right) \end{aligned}$$



Two-hop forward and backward channel path gains

$$\begin{aligned} \bar{\gamma}_{g,\ell}(t) &= \sqrt{\frac{\mathcal{G}(\bar{\Omega}_1) \zeta(\bar{\omega}_1, \bar{\theta}_{g,\ell})}{(4\pi)^2 \delta_1^2 \bar{d}_{g,\ell}^2(t) \bar{L}_{g,\ell}(t)}} e^{-j2\pi(\delta_1 + \bar{d}_{g,\ell})/\lambda} \\ \ddot{\gamma}_{g,\ell}(t) &= \sqrt{\frac{\sigma_g \zeta(\ddot{\theta}_{g,\ell}, \ddot{\omega}_1) \mathcal{G}(\ddot{\Omega}_1) \lambda^2}{(4\pi)^3 \ddot{d}_{g,\ell}^2(t) \delta_1^2 \ddot{L}_{g,\ell}(t)}} e^{-j2\pi(\ddot{d}_{g,\ell} + \delta_1)/\lambda} \end{aligned}$$

Normalized near-field channel path gains

$$[\mathbf{g}]_n = \sqrt{\frac{\mathcal{G}(\bar{\Omega}_n) \zeta(\bar{\omega}_n, \bar{\theta}_{g,\ell}) \delta_1^2}{\mathcal{G}(\bar{\Omega}_1) \zeta(\bar{\omega}_1, \bar{\theta}_{g,\ell}) \delta_n^2}} \cdot e^{-j2\pi(\delta_n - \delta_1)/\lambda}$$

$$\boldsymbol{\varphi} = \{\varphi^{\text{az}}, \varphi^{\text{ze}}\}$$

Angle notation

Normalized gain for each RIS element
w.r.t. RIS reference element

FMCW radar configuration

▶ System configuration

- 60 GHz starting frequency
- Chirp slope: 300 MHz μs^{-1}
- ADC sampling frequency: 38 MS/s
- 512 samples per chirp
- 13.47 μs chirp repetition interval

▶ Derived parameters

- 13.47 μs chirp duration
- 4.04 GHz transmission bandwidth
- Range resolution: 3.71 cm
- Maximum range: 18.95 m
- Chirp rate: 74.2 kHz
- RIS codebook size: {14,400; 25,600}
- Depth map sensing rate: {5.15; 2.90} Hz